21.2-01 THE STRUCTURES OF DITHIOPHOSPHINATE COMPLEXES OF THE LANTHANIDES IN THE SOLID AND IN SOLUTION (X-RAY + NMR). By <u>A.A. Pinkerton</u>, S. Spiliadis, D. Schwarzenbach, Université de Lausanne, 1005 Lausanne, Switzerland, and A-C. Söderholm, Arrhenius Laboratory, S-106 91 Stockholm, Sweden.

Extrapolation from the solid-state structure to the molecular structure in solution is a dangerous procedure; however, some knowledge obtained from X-ray diffraction may be used to interpret observations made in solution.

Crystal structures have been determined for six complexes of the type $Ln(S_2PR_2)_4^n$ (Ln = lanthanide(III) or thorium (IV), R = Me, Ph or OEt). The structures are eight coordinate and dodecahedral (mmmm isomer). We have found no complex of this type with the alternative square antiprismatic structure in the solid state.

 $^{1}\mathrm{H}$ and $^{31}\mathrm{P}$ NMR measurements on the series $\mathrm{Ln}(\mathrm{S}_{2}\mathrm{PR}_{2})_{4}^{-}$ where R is Me, OEt or OPr^{1} show that there is a distinct structural break at Ho with a concomitant change in the 'P hyperfine coupling. This change is shown to be from a dodecahedron to a square antiprism.

The dipolar shifts observed for the paramagnetic complexes are proportional to $(3\cos^2\theta - 1)/r^3$ where r is the distance from the paramagnetic ion to the observed nucleus, and $\boldsymbol{\theta}$ is the angle between the vector \boldsymbol{r} and the principal axis of the magnetic susceptibility tensor. The crystal structures above indicate that ($3\cos^2\theta$ - 1) for the ^{31}P nuclei should be about -0.6 for a dodecahedron, but close to zero for a square antiprism, whereas r should not change. This agrees with the small values of the $^{31}\mathrm{P}$ dipolar shifts observed for the heavy ions compared to the light ones and with the predictions of ligand-ligand repulsion calculations.

PICOSECOND TECHNIQUE OF TWO-PHOTON 21.2-02 ABSORPTION MEASUREMENT IN CRYSTALS. By B.Bar-eika, G.Dikčius, A.Piskarskas and <u>V.Sirutkai-</u> tis, Faculty of Physics, Vilnius University, 232054 Vilnius, Saulėtekio al.9, Lithuania, USSR. Picosecond light pulses of great intensity interacting in nonlinear crystals take part not only in simple processes of parametric interactions. Simultaneously such nonlinear processes as multiphoton absorption, pair ge-neration or stimulated Raman scattering occurs.

This report deals with two-photon absorption measurement in $LiNb0_3$, $LiI0_3$, Ag_3AsS_3 crystals. Our experimental setup consists of pi-cosecond phosphate glass master laser (PL), two-step amplifier, harmonic generator on KH_2PO_crystal and pulse measurement techni-

que. The energies of exciting and probe (tr-ansmitting) pulses were measured by photode-tectors and processed and stored by microcom-puter D3-28. We measured the energy of transmitting pulse and its dependance on pump pul-se intensity. It was possible to measure tra-nsmittance of the crystal at all points of exciting pulse. For this purpose probe pulse was automatically delayed by stepmotor driven variable delay line.

variable delay line. First or second harmonic of PL radiation ($\lambda =$ First or second narmonic of rh radiation ($\lambda = 1054$ nm or $\lambda = 527$ nm) as well as continuously tuned radiation was used as exciting and probe pulses. The intensity of pulses up to 40

GW cm⁻² was reached, single pulse duration being 5 ps. Two-photon absorption rate $\beta = 15$ kW cm was measured in Ag₃AsS₃,20 in LiNbO₃.

21.2-03 DETECTION OF PICOSECOND IR PULSES BY MEANS OF NONLINEAR CRYSTALS. By B. Bareika, <u>G. Dikčius</u>, A.V. Mishtchenko and V. Sirutkaitis, Faculty of Physics, Vilnius University, 232054 Vilnius, Sauletekio al.9, Lithuania, USSR.

There are some difficulties in measuring weak ultrashort infrared light signals. Detection of such signals by means of frequency up-conversion in nonlinear crystals (with a high value of second order susceptibility) has been widely investigated recently. The mechanism of parametric mixing $w_s = w_p + w_{pr}$, where w_s , w_p and w_{pr} are the frequencies of sum, pump and probe pulses respectively is used in our experiments. It is very important that the main information of the probe pulse remains in the sum-frequency pulse. We investigated experimentally the sum-frequency generation in KH2PO4 and LiIO_3 crystals cut for oo-e interaction. Their \circ is

and EII0₃ crystals cut for 60-2 interaction. There or is 41° and 30° respectively (\circ being the angle between the pump wave vector and the z-axis). A passively mode-locked phosphate glass laser (PL) with pulse repetition rate up to 2 pps was used as a pump (G. Dikčius et al., Kvantovaja electronica (1979), <u>6</u>, No. 8, 1610, Russian ref.). As a probe pulse, we used superluminescence radiation of rhodamine 6G excited by the second harmonic of PL. We found the selectivity of IR detectors on 2.5 mm long KH₂PO₄ to be $\Delta \lambda = 80$ Å, the probe pulse wave-length being $\lambda = 580$ rm; $\Delta l = 60^{\circ}$ in the case of 5 mm length being $\lambda = 580$ rm; $\Delta \lambda = 60$ Å in the case of 5 mm long LiIO₃; and $\Delta \lambda = 150$ Å in the case of 1 mm long $\rm KH_2PO_4.~W_{pr}$ was tuned from 550 nm to 1500 nm.

21.3-01 INTERNAL ROTATION BARRIER CALCULA-TIONS BY THE SCF INDO OPEN SHELL METHOD IN THE 2,3-DIMETHYL-NAPHTHAZARIN RADICAL ANION. By C. Sieiro, Y.G.Smeyers and <u>R.Coy-Yll</u>, Dpt.Electrochem.Univ.Autónoma (Madrid); Inst.Rocasolano (Madrid) and Dpt.Crystallography(Sevilla)SPAIN.

We have obtained the 2,3-dimethy1-5,8-dihydro-



We have obtained the 2,5-dimetny1-5,8-dinyaro-xy-1,4-naphthosemiquinone radical anion by e-lectrochemical reduction of 1 at constant po-tential of -0.6 V versus sce electrode.Analysis of the epr spectrum gives the following Me hyperfine coupling constants: a_H(ring)=2.6 G, a_H(OH)=0.61 G cred c (CH)=1 9 G. The equive Me and $a_{H}(CH_{3})=1.9$ G. The equiva-lence of the six methyl protons

as deduced from the spectrum 1 Q. H.....O indicates that in the time scale of epr measurements, the two methyl groups freely rotate. In order to explain this free rotation we have previously made a study of a gene-ral potential energy function of two coupled rotors (Y.G.Smeyers, Int.J.Quantum Chem., in press). The potential energy function in the present $case(C_{2v} \text{ symmetry})$ is deduced to be: to be:

$$\begin{split} \mathbb{V}(\theta_1, \theta_2) &= \mathbb{A}_{00}^{\text{cc}} + \mathbb{A}_{01}^{\text{cc}} \left[\cos 3\theta_1 + \cos 3\theta_2\right] + \mathbb{A}_{11}^{\text{ss}} \\ \left[\sin 3\theta_1 \sin 3\theta_2\right] &+ \mathbb{A}_{12}^{\text{cc}} \left[\cos 3\theta_1 \cos \theta_2 + \cos \theta\theta_1 \right] \\ \cos 3\theta_2 + \mathbb{A}_{02}^{\text{cc}} \left[\cos \theta_1 + \cos \theta_2\right] + \mathbb{A}_{22}^{\text{cc}} \left[\cos \theta_1 \right] \\ \cos \theta_2 \end{split}$$

where the possible non-equivalent conformations between the two methyl groups are:

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21. STRUCTURAL RESULTS FROM METHODS OTHER THAN DIFFRACTION

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0°0° 0°-30° 0°60° 30°30° 30°-30° 30°60° 60°60°

The coefficients of V(θ_1 , θ_2) have been obtained by solving the system of seven equations corresponding to the values of θ_1 and θ_2 for non-equivalent conformations. The energy values for these conformations have been obtained by the SCF INDO open shell calculations(JPople, J.Chem. Phys., 47 (1967) 2026) . This method is analogous to the CNDO/2 (J. Pople, J.Chem.Phys., 44 (1966) 3289) and gives reasonable results in the case of rotation of groups involved in localized bonds(C.Sieiro, J.Mol.Struct. 24 (1975) 345) Solving the Schrödinger equation with V = V(θ_1 , θ_2), we obtain the rotational levels and the corresponding population analysis.

Table	1 ^E T ^{- E} min
(θ_1, θ_2)	(Kcal/mol)
0° 0°	-4.668
0°-30°	-4.294
0° 60°	-3.919
30° 30°	-4.099
30°-30°	-2.988
30° 60°	-2.302
60° 60°	0.000

The INDO results are shown in Table1. The free rotation can be explained by the population analysis and by the tunnel effect.

A study of a celadonite of composition $\{Ca_{0.10}K_{0.89}\}$ $\{SiO_{3.96}AI_{0.04}\}\{AI_{0.05}Fe_{0.96}^{3+}Fe_{0.26}^{2+}Mg_{0.73}\}O_{10}(OH)_2$ is reported. Its structure as derived from electron diffraction data is characterized by its strict dioctahedral nature with vacant positions in space group C2. Moreover, the preference of cations of a given valency to one of the <u>cis</u> positions is about 60%. Interpretation of the Mössbauer spectrum of celadonite

Interpretation of the Mossbauer spectrum of celadonite was made according to the procedure developed earlier (Bookin, Dainyak, Drits, Phys. Chem. Minerals (1978) <u>3</u>, 58). The electric field gradients (EFG) were calculated for each possible configuration of the nearest cation surrounding Fe and taking into account the presence of non-equivalent <u>cis</u> position and the corresponding geometry of Fe³⁺ octahedra. The ratio between them was used for computer simulation of spectra, corresponding to different variants of cation distribution over octahedral sheets of celadonite. Comparison of the simulated and experimental spectra allowed us to select the most probable model of cation distribution which was used as a first approximation during computer fitting of experimental spectrum of celadonite. The final fitting process allowed us to conclude that the distribution of isomorphous cations over <u>cis</u> positions within each 2:1 layer in the structure has an almost ideal degree of order (~90%) when each R³⁺ cation is surrounded by the R²⁺ cation and vice versa. The disturbances in the ideal order result from the pairs of R³⁺ cations occupying adjacent <u>cis</u> octahedra along the <u>b</u> axis, Table 1. Table 1.

Fe	Δ	*ئ	Г	S%	s _A /s _B	s _B /s _F
1. Resul	ts of EF	G cal	culation			
Fe ³ + $\begin{bmatrix} A^{\#} \\ B \\ F \end{bmatrix}$	0.36 0.52 0.17	- - -	0.27 0.27 0.27		2.0	3.0

Results of fitting of spectra (T = 77 K)

Fe ³⁺ $\begin{cases} A \\ B \\ F \\ X^+ \end{cases}$	0.37 0.59 0.18 1.15	0.30 0.30 0.30 0.31	0.27 0.27 0.27 0.27	44.1 20.5 6.8 9.6	2.15	3.01
Fe ²⁺	2.57	1.07	0.38	19.0	x ² =	1.11

* Isomer shift δ (mm/sec) is relative to α -Fe.

- Symbols A, B and F correspond to configurations of $(3R^{2+})$, $(2R^{2+}1R^{3+})$ and $(3R^{3+})$.
- Corresponds to presence of Fe³⁺octahedra with deficiency of hydroxyls.

Discrepancies between the electronographic and Mössbauer data are presumably related to the effect of averaging in the diffraction methods.