**Supplementary material to the article: "Intensity statistics of Friedel opposites" by**

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1. Description of Table 3

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The first column presents the standard space group number, as given in the *International Tables for Crystallography*, Volume A. The space group symbol in the second column consists of the Hermann–Mauguin symbol, prefixed by a letter defining the crystal system: the letters $a$, $m$ and $o$ stand for anorthic (triclinic), monoclinic and orthorhombic respectively. For monoclinic space groups unique $b$ axis and standard settings are assumed. For space groups based on an $F$ lattice the parities of the reflection indices are designated by $e$ (even) and $o$ (odd). The quantities listed in the last two columns are defined in the text but will be recalled for clarity. Thus

$$\Sigma = \sum_{j=1}^{N} (f_j^2 + f"_j^2) \quad , \quad \rho = 4 \sum_{j=1}^{N} \sum_{k=1}^{N} (f_j f"_k - f"_j f_k)^2,$$

where $N$ is the number of atoms in the unit cell of the nocentrosymmetric space group, $A_v$ is the average reduced intensity and $< D^2 >$ is the mean-square reduced intensity difference of Friedel opposites. Reflections not obeying any condition for possible reflection are systematically absent and have $< A_v > /\Sigma =< D^2 > /\rho = 0$.

Table 3. Average intensity multiples for general and special reflections for low noncentrosymmetric space groups

| Space group | | Reflections | $< A_v > /\Sigma$ | $(< D^2 > /\rho)^{1/2}$ |
|---|---|---|---|---|
| No. | symbol | | | |
| 1 | $aP1$ | $hkl$ | 1 | 1 |
| 3 | $mP2$ | $hkl$ | 1 | 1 |
| | | $h0l$ | 1 | 0 |
| | | $0k0$ | 2 | 2 |
| 4 | $mP2_1$ | $hkl$ | 1 | 1 |
| | | $h0l$ | 1 | 0 |
| | | $0k0(k = 2n)$ | 2 | 2 |
| 5 | $mC2$ | $hkl(h + k = 2n)$ | 2 | 2 |
| | | $h0l(h = 2n)$ | 2 | 0 |
| | | $0k0(k = 2n)$ | 4 | 4 |
| 6 | $mPm$ | $hkl$ | 1 | 1 |
| | | $h0l$ | 2 | 2 |
| | | $0k0$ | 1 | 0 |
| 7 | $mPc$ | $hkl$ | 1 | 1 |
| | | $h0l(l = 2n)$ | 2 | 2 |
| | | $0k0$ | 1 | 0 |
| 8 | $mCm$ | $hkl(h + k = 2n)$ | 2 | 2 |
| | | $h0l(h = 2n)$ | 4 | 4 |
| | | $0k0(k = 2n)$ | 2 | 0 |
| 9 | $mCc$ | $hkl(h + k = 2n)$ | 2 | 2 |
| | | $h0l(h, l = 2n)$ | 4 | 4 |
| | | $0k0(k = 2n)$ | 2 | 0 |
| 16 | $oP222$ | $hkl$ | 1 | 1 |
| | | $hk0, 0kl, h0l$ | 1 | 0 |
| | | $h00, 0k0, 00l$ | 2 | 0 |
| 17 | $oP222_1$ | $hkl$ | 1 | 1 |
| | | $hk0, 0kl, h0l$ | 1 | 0 |
| | | $h00, 0k0, 00l(l = 2n)$ | 2 | 0 |
| 18 | $oP2_12_12$ | $hkl$ | 1 | 1 |
| | | $hk0, 0kl, h0l$ | 1 | 0 |
| | | $h00(h = 2n), 0k0(k = 2n), 00l$ | 2 | 0 |
| 19 | $oP2_12_12_1$ | $hkl$ | 1 | 1 |
| | | $hk0, 0kl, h0l$ | 1 | 0 |
| | | $h00(h = 2n), 0k0(k = 2n)$ | | |
| | | $00l(l = 2n)$ | 2 | 0 |

Table 3. Average intensity multiples for general and special reflections for low noncentrosymmetric space groups (cont.)

| Space group | | Reflections | $< A_v > /\Sigma$ | $(< D^2 > /\rho)^{1/2}$ |
|---|---|---|---|---|
| No. | symbol | | | |
| 20 | $oC222_1$ | $hkl(h+k=2n)$ | 2 | 2 |
| | | $hk0(h+k=2n), 0kl(k=2n),$ | | |
| | | $h0l(h=2n)$ | 2 | 0 |
| | | $h00(h=2n), 0k0(k=2n),$ | | |
| | | $00l(l=2n)$ | 4 | 0 |
| 21 | $oC222$ | $hkl(h+k=2n)$ | 2 | 2 |
| | | $hk0(h+k=2n), 0kl(k=2n),$ | | |
| | | $h0l(h=2n)$ | 2 | 0 |
| | | $h00(h=2n), 0k0(k=2n), 00l$ | 4 | 0 |
| 22 | $oF222$ | $hkl(eee, ooo)$ | 4 | 4 |
| | | $hk0(ee0), 0kl(0ee),$ | | |
| | | $h0l(e0e)$ | 4 | 0 |
| | | $h00(e00), 0k0(0e0), 00l(00e)$ | 8 | 0 |
| 23 | $oI222$ | $hkl(h+k+l=2n)$ | 2 | 2 |
| | | $hk0(h+k=2n), 0kl(k+l=2n),$ | | |
| | | $h0l(h+l=2n)$ | 2 | 0 |
| | | $h00(h=2n), 0k0(k=2n),$ | | |
| | | $00l(l=2n)$ | 4 | 0 |
| 24 | $oI2_12_12_1$ | $hkl(h+k+l=2n)$ | 2 | 2 |
| | | $hk0(h+k=2n), 0kl(k+l=2n),$ | | |
| | | $h0l(h+l=2n)$ | 2 | 0 |
| | | $h00(h=2n), 0k0(k=2n),$ | | |
| | | $00l(l=2n)$ | 4 | 0 |
| 25 | $oPmm2$ | $hkl$ | 1 | 1 |
| | | $hk0$ | 1 | 0 |
| | | $0kl, h0l$ | 2 | 2 |
| | | $h00, 0k0$ | 2 | 0 |
| | | $00l$ | 4 | 4 |
| 26 | $oPmc2_1$ | $hkl$ | 1 | 1 |
| | | $hk0$ | 1 | 0 |
| | | $0kl, h0l(l=2n)$ | 2 | 2 |
| | | $h00, 0k0$ | 2 | 0 |
| | | $00l(l=2n)$ | 4 | 4 |
| 27 | $oPcc2$ | $hkl$ | 1 | 1 |
| | | $hk0$ | 1 | 0 |
| | | $0kl(l=2n), h0l(l=2n)$ | 2 | 2 |
| | | $h00, 0k0$ | 2 | 0 |
| | | $00l(l=2n)$ | 4 | 4 |

Table 3. Average intensity multiples for general and special reflections for low noncentrosymmetric space groups (cont.)

| Space group | | Reflections | $< A_v > /\Sigma$ | $(< D^2 > /\rho)^{1/2}$ |
|---|---|---|---|---|
| No. | symbol | | | |
| 28 | $oPma2$ | $hkl$ | 1 | 1 |
| | | $hk0$ | 1 | 0 |
| | | $0kl, h0l(h = 2n)$ | 2 | 2 |
| | | $h00(h = 2n), 0k0$ | 2 | 0 |
| | | $00l$ | 4 | 4 |
| 29 | $oPca2_1$ | $hkl$ | 1 | 1 |
| | | $hk0$ | 1 | 0 |
| | | $0kl(l = 2n), h0l(l = 2n)$ | 2 | 2 |
| | | $h00(h = 2n), 0k0$ | 2 | 0 |
| | | $00l(l = 2n)$ | 4 | 4 |
| 30 | $oPnc2$ | $hkl$ | 1 | 1 |
| | | $hk0$ | 1 | 0 |
| | | $0kl(k + l = 2n), h0l(l = 2n)$ | 2 | 2 |
| | | $h00, 0k0(k = 2n)$ | 2 | 0 |
| | | $00l(l = 2n)$ | 4 | 4 |
| 31 | $oPmn2_1$ | $hkl$ | 1 | 1 |
| | | $hk0$ | 1 | 0 |
| | | $0kl, h0l(h + l = 2n)$ | 2 | 2 |
| | | $h00(h = 2n), 0k0$ | 2 | 0 |
| | | $00l(l = 2n)$ | 4 | 4 |
| 32 | $oPba2$ | $hkl$ | 1 | 1 |
| | | $hk0$ | 1 | 0 |
| | | $0kl(k = 2n), h0l(h = 2n)$ | 2 | 2 |
| | | $h00(h = 2n), 0k0(k = 2n)$ | 2 | 0 |
| | | $00l$ | 4 | 4 |
| 33 | $oPna2_1$ | $hkl$ | 1 | 1 |
| | | $hk0$ | 1 | 0 |
| | | $0kl(k + l = 2n), h0l(h = 2n)$ | 2 | 2 |
| | | $h00(h = 2n), 0k0(k = 2n)$ | 2 | 0 |
| | | $00l(l = 2n)$ | 4 | 4 |
| 34 | $oPnn2$ | $hkl$ | 1 | 1 |
| | | $hk0$ | 1 | 0 |
| | | $0kl(k + l = 2n), h0l(h + l = 2n)$ | 2 | 2 |
| | | $h00(h = 2n), 0k0(k = 2n)$ | 2 | 0 |
| | | $00l(l = 2n)$ | 4 | 4 |

Table 3. Average intensity multiples for general and special reflections for low noncentrosymmetric space groups (cont.)

| Space group | | Reflections | $< A_v > /\Sigma$ | $(< D^2 > /\rho)^{1/2}$ |
|---|---|---|---|---|
| No. | symbol | | | |
| 35 | $oCmm2$ | $hkl(h+k=2n)$ | 2 | 2 |
| | | $hk0(h+k=2n)$ | 2 | 0 |
| | | $0kl(k=2n), h0l(h=2n)$ | 4 | 4 |
| | | $h00(h=2n), 0k0(k=2n)$ | 4 | 0 |
| | | $00l$ | 8 | 8 |
| 36 | $oCmc2_1$ | $hkl(h+k=2n)$ | 2 | 2 |
| | | $hk0(h+k=2n)$ | 2 | 0 |
| | | $0kl(k=2n), h0l(h,l=2n)$ | 4 | 4 |
| | | $h00(h=2n), 0k0(k=2n)$ | 4 | 0 |
| | | $00l(l=2n)$ | 8 | 8 |
| 37 | $oCcc2$ | $hkl(h+k=2n)$ | 2 | 2 |
| | | $hk0(h+k=2n)$ | 2 | 0 |
| | | $0kl(k,l=2n), h0l(h,l=2n)$ | 4 | 4 |
| | | $h00(h=2n), 0k0(k=2n)$ | 4 | 0 |
| | | $00l(l=2n)$ | 8 | 8 |
| 38 | $oAmm2$ | $hkl(k+l=2n)$ | 2 | 2 |
| | | $hk0(k=2n)$ | 2 | 0 |
| | | $0kl(k+l=2n), h0l(l=2n)$ | 4 | 4 |
| | | $h00, 0k0(k=2n)$ | 4 | 0 |
| | | $00l(l=2n)$ | 8 | 8 |
| 39 | $oAbm2$ | $hkl(k+l=2n)$ | 2 | 2 |
| | | $hk0(k=2n)$ | 2 | 0 |
| | | $0kl(k,l=2n), h0l(l=2n)$ | 4 | 4 |
| | | $h00, 0k0(k=2n)$ | 4 | 0 |
| | | $00l(l=2n)$ | 8 | 8 |
| 40 | $oAma2$ | $hkl(k+l=2n)$ | 2 | 2 |
| | | $hk0(k=2n)$ | 2 | 0 |
| | | $0kl(k+l=2n), h0l(h,l=2n)$ | 4 | 4 |
| | | $h00(h=2n), 0k0(k=2n)$ | 4 | 0 |
| | | $00l(l=2n)$ | 8 | 8 |
| 41 | $oAba2$ | $hkl(k+l=2n)$ | 2 | 2 |
| | | $hk0(k=2n)$ | 2 | 0 |
| | | $0kl(k,l=2n), h0l(h,l=2n)$ | 4 | 4 |
| | | $h00(h=2n), 0k0(k=2n)$ | 4 | 0 |
| | | $00l(l=2n)$ | 8 | 8 |
| 42 | $oFmm2$ | $hkl(eee, ooo)$ | 4 | 4 |
| | | $hk0(ee0)$ | 4 | 0 |
| | | $0kl(0ee), h0l(e0e)$ | 8 | 8 |
| | | $h00(e00), 0k0(0e0)$ | 8 | 0 |
| | | $00l(00e)$ | 16 | 16 |

Table 3. Average intensity multiples for general and special reflections for low noncentrosymmetric space groups (cont.)

| Space group | | Reflections | $< A_v > /\Sigma$ | $(< D^2 > /\rho)^{1/2}$ |
|---|---|---|---|---|
| No. | symbol | | | |
| 43 | $oFdd2$ | $hkl(eee, ooo)$ | 4 | 4 |
| | | $hk0(ee0)$ | 4 | 0 |
| | | $0kl(0ee, k+l=4n)$, | | |
| | | $h0l(e0e, h+l=4n)$ | 8 | 8 |
| | | $h00(h=4n), 0k0(k=4n)$ | 8 | 0 |
| | | $00l(l=4n)$ | 16 | 16 |
| 44 | $oImm2$ | $hkl(h+k+l=2n)$ | 2 | 2 |
| | | $hk0(h+k=2n)$ | 2 | 0 |
| | | $0kl(k+l=2n), h0l(h+l=2n)$ | 4 | 4 |
| | | $h00(h=2n), 0k0(k=2n)$ | 4 | 0 |
| | | $00l(l=2n)$ | 8 | 8 |
| 45 | $oIba2$ | $hkl(h+k+l=2n)$ | 2 | 2 |
| | | $hk0(h+k=2n)$ | 2 | 0 |
| | | $0kl(k,l=2n), h0l(h,l=2n)$ | 4 | 4 |
| | | $h00(h=2n), 0k0(k=2n)$ | 4 | 0 |
| | | $00l(l=2n)$ | 8 | 8 |
| 46 | $oIma2$ | $hkl(h+k+l=2n)$ | 2 | 2 |
| | | $hk0(h+k=2n)$ | 2 | 0 |
| | | $0kl(k+l=2n), h0l(h,l=2n)$ | 4 | 4 |
| | | $h00(h=2n), 0k0(k=2n)$ | 4 | 0 |
| | | $00l(l=2n)$ | 8 | 8 |