### MS.48.4

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#### Metal-insulator transitions: a real space picture

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Traditionally the metals and insulators are distinguished by different filling of their electronic bands implying thus an analysis in k-space. Electron localization indices (LI) showing the degree of electron pair exchange inside/between various regions of space represents an attractive alternative to analyze the electronic motion in real space [1]. Recently these indices have been made available also for solids which open new opportunities for the analysis of their electronic structure [2]. We have applied the LI to two different metal-to-insulator transitions in the current study.

First one is the observed experimentally pressure-induced transition of sodium metal having the double-hcp structure (Pearson symbol hP4) into transparent insulating solid [3]. It is found that the LI for QTAIM [4] and ELI-D [5] basins show different picture of electronic motion than for the metallic phase.

Another transition is a representative of large and very important class of Mott transitions which are driven by strong electronic correlation effects. A model system of 1D hydrogen chain calculated with spin-polarized DFT was selected for the study which provided qualitatively acceptable description of Mott transition for this case. A metal to insulator transition is reproduced as an abrupt increase of LI value for the QTAIM basin of hydrogen atom (see Fig.)



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#### Spin-wise decomposed compton profiles

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$$\frac{d^{*}\sigma}{d\Omega d\omega} = C \cdot J(p_{z}) + C_{mag} \cdot P_{C} \cdot \mathbf{S} \cdot (\mathbf{k}\cos\theta + \mathbf{k'}) J_{mag}(p_{z}), \quad (1)$$

A spin-polarized electronic state dominates the magnetic properties

of materials and is decomposed into the up- and down-spin electronic states in a non-relativistic treatment. The spin-polarized state such as magnetization density is a central subject of magnetism and has been studied on various magnetic materials by neuton and X-ray scattering techniques. In this study we propose a method to decompose the spin-polarized state into the corresponding up- and down-spin states by a Compton scattering technique. This method provides unique information on the transport and magnetic properties of half-metallic materials.

When the incident x-rays are circularly polarized, the cross section for Compton scattering is given by,

where  $P_c$  is the degree of circular polarization of incident x-rays, **S** the spin direction, **k** (**k**') the wavevector of incident (scattered) x-rays,  $\theta$  the scattering angle. *C* and  $C_{mag}$  are constants. The first term contains the charge Compton profile  $J(p_z)$  and the second term the magnetic Compton profile  $J(p_z)$ . They are given by,

$$J(p_{z}) = \iint \left[ n_{up}(\mathbf{p}) + n_{down}(\mathbf{p}) \right] dp_{x} dp_{y} = J_{up}(p_{z}) + J_{down}(p_{z}), \quad (2)$$
  
$$J_{mag}(p_{z}) = \iint \left[ n_{up}(\mathbf{p}) - n_{down}(\mathbf{p}) \right] dp_{x} dp_{y} = J_{up}(p_{z}) - J_{down}(p_{z}), \quad (3)$$

where  $n_{up}(\mathbf{p})$  and  $n_{down}(\mathbf{p})$  are the electron momentum densities, and  $J_{up}(p_z)$  and  $J_{down}(p_z)$  are the Compton profiles for up- and down-spin states.  $\mathbf{p}=(p_x, p_y, p_z)$  is the electron momentum. Both  $J(p_z)$  and  $J_{mag}(p_z)$  are accessible to Compton scattering techniques, and once the both profiles are normalized the spin-wise decomposed Compton profiles,  $J_{up}(p_z)$  and  $J_{down}(p_z)$ , are obtained through eqs. (2) and (3) [1].

In this presentation we demonstrate the feasibility of this method by showing its application to ferromagnetic manganites  $La_{1,x}Sr_xMnO_3[2]$ .

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# Molecular-scale 3D visualization of solid-liquid interfaces by FM-AFM

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Solid-liquid interfaces play essential roles in a wide variety of physical and chemical processes, such as crystal growth, electrochemical reactions and various biological functions. Investigations of atomic-scale structures and interactions at solid-liquid interfaces are, therefore, essentially important for understanding theses microscopic processes. Force mapping method based on frequency modulation atomic force microscopy (FM-AFM) is a remarkable technique for atomic-scale investigations of interaction forces on a specific site of crystal surfaces. The technique has been used mainly in vacuum environments, where highly sensitive force detection can be performed due to the high Q-factor in the cantilever oscillation. However, since significant progress has been made in FM-AFM in liquids over the past few years [1, 2], the force mapping method can be used for atomic or molecular scale investigations of interaction forces at solid-liquid interfaces, such as solvation forces.