



# Technical editing and house style

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Crystallography  
**Journals**  
Online

# Starting point for technical editing

- Text, tables and figure captions in one SGML file
- Equations within the SGML as plain TeX fragments
- SGML conforms to our DTD
- Figures as tiffs, one file per figure

ADEPT\*Editor - nja.sgml <@sardonix>

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sec: id=sec1 Introduction

How wonderful that we have met with a paradox. Now we have some hope of making progress.'  
(Niels Bohr)

The shake-and-bake (SnB) direct methods phasing procedure (Hauptman, 1988; DeTitta *et al.*, 1994; Weeks *et al.*, 1994) has provided a significant improvement over older direct methods phasing procedures based on the tangent formula (Karle & Hauptman, 1956). In this regard the SnB program can more or less routinely solve crystal structures that are five to ten times larger than those previously solved by tangent formula methods. Given this success, there is a great temptation to conclude that the SnB algorithm cannot be significantly improved over what has already been demonstrated. New findings now raise the intriguing possibility that there may be more to be learned and gained with regard to increasing the success rate and range of convergence of the SnB phasing algorithm.

Command:  
iucr-art bdy sec p | qd p

EXT MOD INC

# First edit in Adept

Abstract suitable for abstracting services

British/American spellings?

Grammar, punctuation – query if unclear

Abbreviations defined?

House style

Check URLs

Equations (in TeX) can be previewed



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SnB recycling methods can then be used to solve structure if that fragment has been correctly placed.

SnB is different from tangent formula methods in that it refines phases in both real and reciprocal space, whereas the tangent formula operates completely in reciprocal space. Moreover, the phase refinement target function for SnB in reciprocal space is the triples cosine invariant residual that is defined as

where  $A_{\mathbf{h}}, B_{\mathbf{h}}, C_{\mathbf{h}}$  are the atomic

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$$R(\varphi_{\mathbf{h}}) = \sum_{\mathbf{k}} A_{\mathbf{h},\mathbf{k}} [\cos(\varphi_{\mathbf{h}} + \varphi_{\mathbf{k}} + \varphi_{-\mathbf{h}-\mathbf{k}}) - I_1(A_{\mathbf{h},\mathbf{k}})/I_0(A_{\mathbf{h},\mathbf{k}})]^2 / \sum_{\mathbf{k}} A_{\mathbf{h},\mathbf{k}}$$

$$R(\varphi_{\mathbf{h}}) = \sum_{\mathbf{k}} A_{\mathbf{h},\mathbf{k}} [\cos(\varphi_{\mathbf{h}} + \varphi_{\mathbf{k}} + \varphi_{-\mathbf{h}-\mathbf{k}}) - I_1(A_{\mathbf{h},\mathbf{k}})/I_0(A_{\mathbf{h},\mathbf{k}})]^2 / \sum_{\mathbf{k}} A_{\mathbf{h},\mathbf{k}}$$

where  $A_{\mathbf{h}}, B_{\mathbf{h}}, C_{\mathbf{h}}$  are the atomic

$$A_{\mathbf{h}} = 2\sigma \sum_{\mathbf{k}} E_{\mathbf{h}-\mathbf{k}} E_{\mathbf{k}} \sin(\varphi_{\mathbf{h}} - \varphi_{\mathbf{k}})$$

$$B_{\mathbf{h}} = \sigma \sum_{\mathbf{k}} f_j^N$$

are the  $N$  atomic

# Page make-up software (3B2)

Reads in and displays SGML for text

Reads in tiffs for figures

Interprets and displays TeX

Figures and tables placed at top or bottom of pages, text flows around them

Outputs PostScript for pdfs for proofs

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### research papers

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Table 1  
Unrefined one-atom phase sets.

Phase errors,  $\beta_p = (\beta_{\text{obs}} - \beta_{\text{calc}})$ , were computed from the  $N$ -atom sites for four light-atom structures containing no atom larger than oxygen. The number of phases used in the SnB analysis and the percentage of  $N$  trials that proceeded to solutions are given. The range, mean, and standard deviation of the  $N$  sets are listed. Also listed is the percentage of phase sets, each undergoing 100 SnB cycles of random  $N$ -atom refinement, including solutions, that attain a  $\beta_p$  less than 20 and 75°.

Structure	No. of atoms $N$	No. of $\beta$ 's	No. of triples	% Solutions	$\beta_p$ range (°)	$\beta_p$ standard deviation (°)	< 20° (%)	< 75° (%)	Reference
LEED	34	340	3000	34	63 → 37	73 ± 4	30	9	(a)
FILEM	95	300	9000	15	66 → 33	79 ± 5	23	5	(b)
BERN	110	700	7000	3	70 → 37	79 ± 4	31	3	(c)
FILES	117	900	10000	9	63 → 39	82 ± 5	23	4	(d)

References: (a) Flatau et al. (1989); (b) Flatau et al. (1991); (c) Miller et al. (1993); (d) Flatau et al. (1993).

methods expectation value of  $\cos(\varphi_1 + \varphi_2 + \varphi_{3-k})$  derived by Hauptman (1966) based on its  $A$  value. For an  $N$ -atom structure determination, one usually selects a 10N  $E$  values and 100N triple phase invariants as the basis of phase refinement by the  $R(\varphi_1)$  function.

An SnB phasing trial begins with randomly generating coordinates for an  $N$ -atom structure and using these positions to compute the initial phase values. Those phases are next refined by minimizing  $R(\varphi_1)$  for each phase  $\varphi_k$ , while all others,  $\varphi_j$  and  $\varphi_{3-k}$ , are temporarily held fixed until it is their turn to be refined. One of the simplest refinement schemes simply increments the value of  $\varphi_k$  by 0, ±90 and 180°, and accepts the value that produces the lowest value of  $R(\varphi_1)$ . Once all the phases have been adequately refined in this manner, an  $E$  map is computed and the  $N$  largest peaks are then chosen as the starting point for the next cycle of refinement. A sufficient number of cycles of refinement are performed to ensure convergence, at which time  $R_{\text{min}}$ , the overall value of  $R(\varphi)$  for all the phases, will approach its global

minimum. The value of  $R_{\text{min}}$  is generally significantly less than 0.5 for the correct solution, and greater than 0.5 for all the various non-solutions. A solution is usually not obtained in those instances where there is no clear separation in  $R_{\text{min}}$  values. Fig. 1 compares the progress of a typical SnB solution versus a non-solution with regard to the computed value of  $R_{\text{min}}$  and its associated average mean phase error,  $\langle \beta_p \rangle = (\beta_{\text{obs}} - \beta_{\text{calc}})$ , as a function of the SnB phase refinement cycle number.

Once a solution has been obtained, one characteristic of well determined phases is that the values of  $R(\varphi_1)$  for the individual phases should increase dramatically upon perturbing the value of  $\varphi_k$  by 0, ±90, 180° from their solution values. Conversely if there should be little difference among the four  $R$  values, then there would be no particular reason to believe that any one of the four permuted values would be any better than the other three. Having made this conjecture, one might also ask the same question with regard to SnB phase sets that have not fully converged to a recognizable solution. That is, might a large variance indicator for any  $R(\varphi_1)$  still be correlated with how well that phase has converged toward its true value? We decided to examine this possibility.

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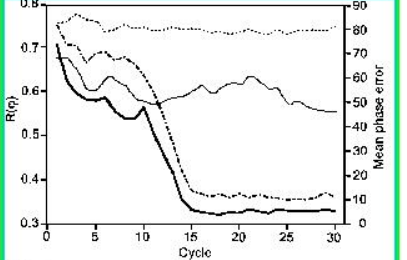


Figure 1  
Example of the SnB progress of a solution versus a non-solution. The heavy line tracks the value of  $R_{\text{min}}$  as a function of SnB cycle number for a solution, the values for  $R_{\text{min}}$  drops significantly below 0.5 at about cycle 10. The  $\langle \beta_p \rangle$  associated with this trial (dot-dashed line) rapidly decreases to ~10° once this is achieved.  $R_{\text{min}}$  for a typical non-solution (fine line) seldom reaches as low as 0.5, while its associated  $\langle \beta_p \rangle$  (dotted line) stays near that for randomly generated phases in the vicinity of 85 to 90°.

### 3. Numerical tests

Four moderately large  $P2_12_12_1$  structures each having about 100 non-H atoms in the primitive unit cell were selected. Firstly, it will be necessary to be able to evaluate  $\langle \beta_p \rangle$  for any SnB trial with the known structure relative to some unknown choice of origin and enantiomorph. It is a fairly trivial matter to do this in the space group  $P2_12_12_1$  by simply examining the 16 permissible choices of origin and enantiomorph and selecting the choice with the smallest phase error. Secondly, it is well known as a point of interest that single-atom search models often generate initial trial sets with a significantly lower  $\langle \beta_p \rangle$  than  $N$ -atom models (Weeks et al., 1994). Table 1 lists the one-atom phase errors for the starting sets of phases corresponding to each of the  $N$  atoms of the four known structures chosen. For the purpose of the following study we temporarily ignored all these single-atom starting sets that subsequently produced SnB solutions upon further refinement, or between 3 and 34% of all sets depending on the

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# Checks and changes made in editing

- Authors and affiliations are correct
- Abstract not written in first person
- Spelling
- Correction of grammar
- Clarity/avoidance of ambiguity
- Hyphenation: adjectival phrases, *e.g.* electron-density plot, *en* rules used to link connected items *e.g.* pump–probe experiment
- Consistency between text and tables/figures, especially labels
- Arrangement of data in tables, economic presentation
- Figure quality, clarity, size, labels and layout
- Use of abbreviations
- References complete and in correct style

# Checks and changes made in editing (continued)

- Nomenclature is correct
- Units are SI
- Special symbols (Greek, maths) are correct
- Tables, figures, schemes are numbered in the order they are mentioned in the text
- Equations numbered sequentially
- Check required data have been deposited in databases
- Supplementary material (not edited) is in the correct format for archiving
- Add appropriate links to structural databases *etc.*
- **Any queries appear as bold and underlined in the proofs**



# Proofs and corrections

Low-resolution pdf proofs with order form sent to contact author

Corrections (preferably received as an email: line number, correction) are made

Article is proofread one last time

Final page make-up: line breaks, no widows/orphans, figures and tables are near relevant text (if possible)

Final PostScript (for online pdfs and for printing)

Paper details added to the 'issue instance'